

PHYS211

Exam 2 Prep





<https://queue.illinois.edu/q/queue/847>

CARE / CARE PHYS 211 Exam Review

New question

Net ID

This allows you to add a question on behalf of a student.

Name

Using a nickname is fine!

Topic

Location

Please say whether you are waiting to meet **in person** or **online**. If your instructor requires it, also give the room number or online meeting URL.

Add to queue

1.

Overview

Quick bits of info to know



Forces



- ▷ Conservative
 - ▶ Weight (gravity)
 - ▶ Spring Force: $F_s = -k \Delta x$
- ▷ Nonconservative
 - ▶ Normal: Perpendicular to an object's surface by below surface
 - ▶ Tension: points away from object
 - ▶ Friction: $f = \mu N$
- ▷ Equal & Opposite Forces
- ▷ X and Y components still apply, especially for ramp problems

Work



- ▷ Work-Energy Theorem: The work done on a system by the sum of forces acting on it is equal to the change of kinetic energy of the system, $\Delta KE = W_{\text{tot}} = \frac{1}{2} mv_f^2 - \frac{1}{2} mv_i^2$
- ▷ $W = F^*d$
- ▷ $W = -\Delta PE$ (for work done in a conservative field, such as dropping a ball with no air resistance)

$$W = \int \mathbf{F} \cdot d\mathbf{l}$$

$$W = \mathbf{F} \cdot \Delta \mathbf{r} = F \Delta r \cos \theta$$

Work and Mechanical Energy



- ▶ For ΔE , you can choose whichever two points you want for the initial and final energy ($E_f - E_i$)
- ▶ Don't mix up potential energy equations with work equations
 - ▶ i.e. $U_{\text{spring}} = kx^2/2$, but $W_{\text{spring}} = -k(x_f^2 - x_i^2)/2$
- ▶ Work and Energy are intimately related, using the theorems and conservation laws will help a lot!
- ▶ Total mechanical energy: $\Delta KE + \Delta PE = W_{\text{NC}}$

Momentum and Impulse

- ▷ $p = mv$
- ▷ $F_{\text{net, external}} = dp_{\text{total}}/dt$
 - ▶ When $F_{\text{ext}} = 0$, $dp/dt = 0$, momentum is conserved
- ▷ Is conserved in both the x and y direction
- ▷ Impulse : change in momentum
 - ▶ $I = F_{\text{AVG}} \Delta t = \Delta p$
- ▷ Inelastic
 - ▶ KE is not conserved
 - ▶ Perfectly Inelastic - Objects stick together
- ▷ Elastic
 - ▶ Momentum + KE is conserved
 - ▶ Objects bounce apart

Center of Mass + Frames

- ▶ For a system of objects, we treat them as point masses
- ▶ More massive object has more influence on center of mass

$$X_{CM} = \frac{\sum m_i x_i}{\sum m_i}$$
$$V_{CM} = \frac{\sum m_i v_i}{\sum m_i}$$
$$A_{CM} = \frac{\sum m_i a_i}{\sum m_i} = \frac{F_{Net, External}}{M_{Total}}$$

- ▶ Lab Reference Frame
 - ▶ Observe from outside system
- ▶ Center of Mass Reference Frame
 - ▶ Observing from inside system
 - ▶ $\mathbf{V}_{obj, CM}^* = \mathbf{V}_{obj, lab} - \mathbf{V}_{CM, lab}$

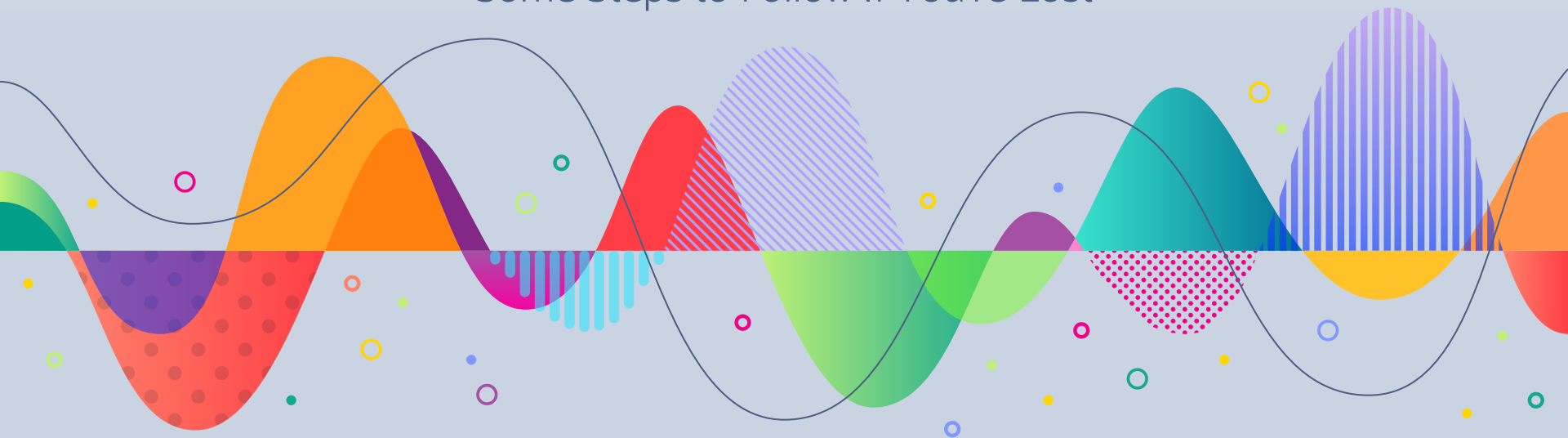
Transformation to the CM Frame

$$\vec{v}_{object, B} - \vec{v}_{CM, B} = \vec{v}_{object, CM}$$

2.

Problem Solving

Some Steps to Follow If You're Lost

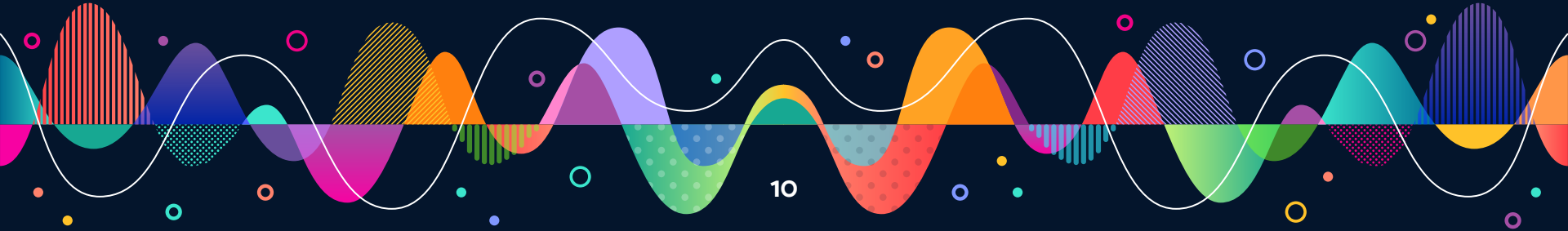


Momentum



How to Identify:

- Collisions
- Explosions
- Impulse



Momentum



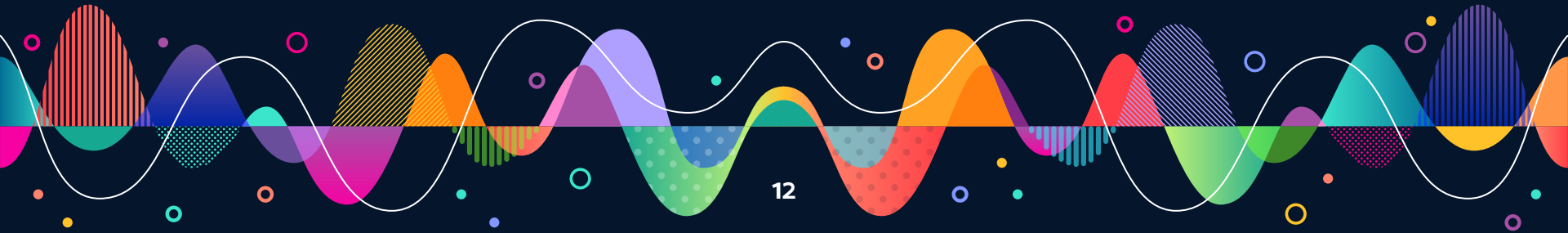
- ▷ List given variables
 - ▶ **In both x and y directions if necessary**
- ▷ Identify if momentum is conserved (no external forces)
- ▷ List all initial momentums and all final momentums
- ▷ Solve for missing variable
- ▷ *You will almost never need to use Kinematics, think of **Energy, Work, or Momentum** instead*
- ▷ Impulse:
 - ▶ Use F average

CoM + Frames



How to Identify:

- “In _ ref frame”
- Canoe/Plank
- Usually says
“center of mass”



Center of Mass + Frames

- ▷ Center of Mass
- ▷ Identify X_{CM} , V_{CM} if necessary
 - ▶ Pay attention to x and y direction

$$\begin{aligned}V_i^* &= V_i - V_{CM} \\V_i^* &= -V_f^* \\V_f &= V_f^* + V_{CM}\end{aligned}$$

- ▷ Think Reference Frames
- ▷ List variables and their frames
 - ▶ V_{lab} , V_{cm} , etc.
- ▷ Solve for the variable you're looking for

Work/Energy

WHEN YOU WALK A LONG
DISTANCE BUT IN CONSTANT SPEED



How to Identify:

- Change in Height
- Starts & ends at rest
- Kinematics/Force eqns look too complicated

Work/Energy

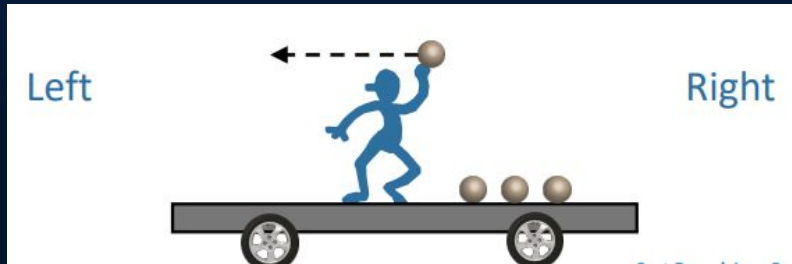


- ▷ Conservation of Energy: $E_i = E_f$
- ▷ Work-KE Theorem: $W_{\text{NET}} = W_C + W_{\text{NC}} = \Delta KE$
- ▷ Conservation of Mechanical E: $W_{\text{NC}} = \Delta E = \Delta K + \Delta U$
 - ▶ Nonconservative Forces: Friction, Normal, Tension
- ▷ Choose one of the above paths and plug in your variables
- ▷ Make sure you have the right SIGN for work!
 - ▶ Remember, opposing Force and Distance $\rightarrow -W$

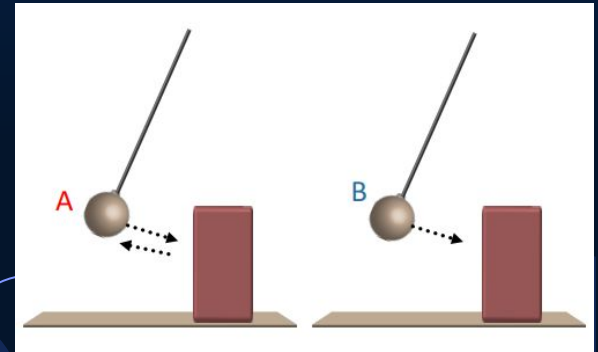
Momentum Concept Question



How will the carts
position change?



Which brick will fall
over and why?

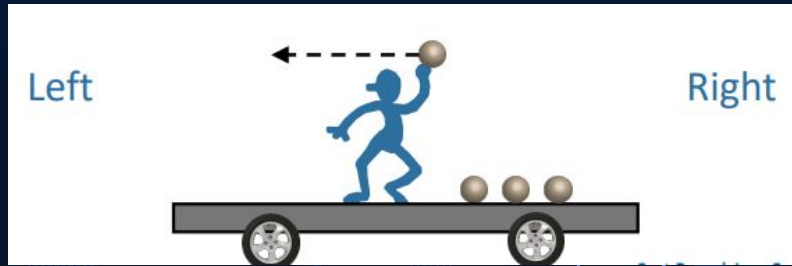


SOLUTION: Momentum Concept Question

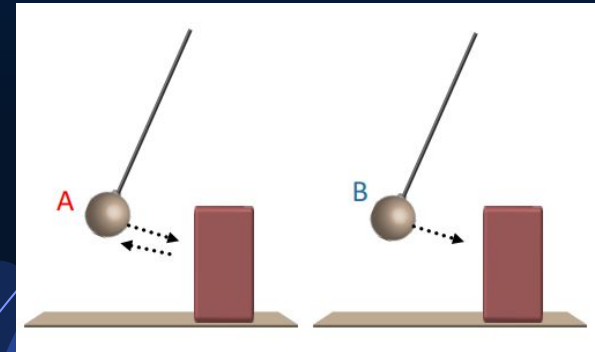


How will the carts
position change?

Will move to the **right**



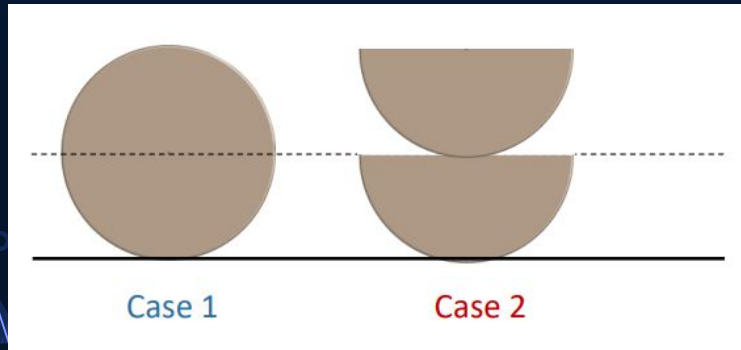
Which brick will fall over
and why? **A**, it has a larger
impulse moment



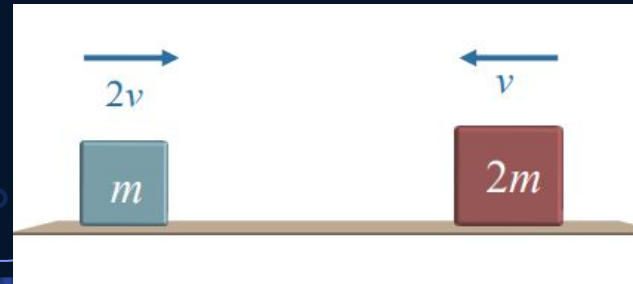
CoM and Reference Frames Concept Question



Which case has the higher center of mass?



What is the momentum in the center of mass frame?

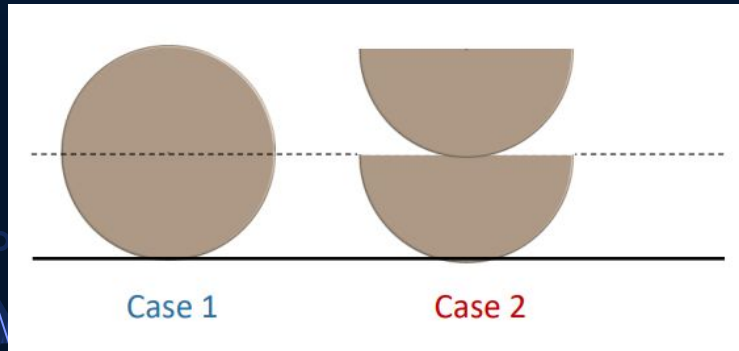


SOLUTION: CoM and Reference Frames Concept Question

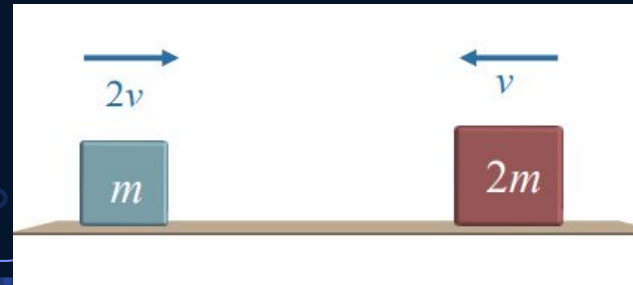


Which case has the higher center of mass?

Case 2



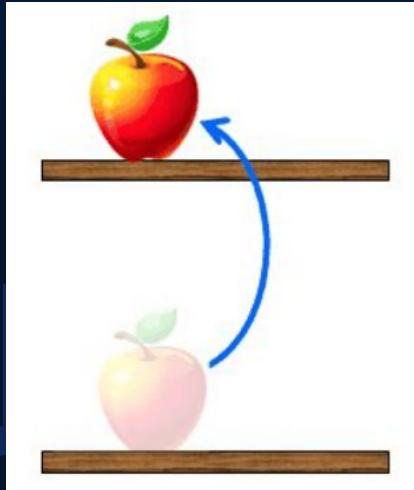
What is the momentum in the center of mass frame? **Zero!**



Work and Energy Concept Questions



What is the net work done on the apple?



In what direction does the work due to static friction point?

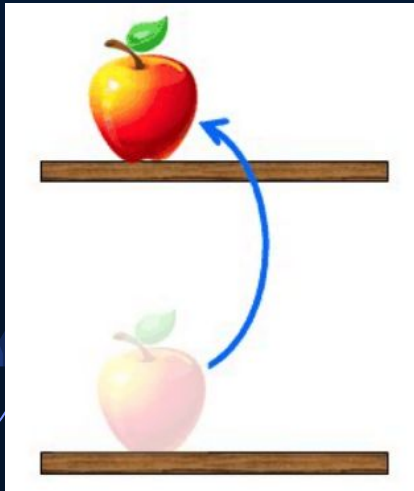


SOLUTION: Work and Energy Concept Questions



What is the net work done on the apple?

Zero, no change in KE



In what direction does the force due to static friction point? **To the left**



Worksheet Time!



Enter Queue with your name and net ID:

By entering the queue, you help us:

- Reserve a big enough space at the next review session

- Assign enough tutors for everyone to have access to help

Thank you!

